# MysteryTwister C3 

THE CRYPTO CHALLENGE CONTEST

## DOUBLE-COLUMN transposition/Granit - Part 1

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## Introduction (1/2)

While nowadays one encrypts almost exclusively by computer systems, in the centuries before the development of IT, simpler methods had to be used. For example, in the 19th and early 20th centuries, the double-column transposition (DTP) was often used. DTP applies a columnar transposition twice.
This method can be done manually, and up-to-now no ciphertext-only attack is known, provided that the method has been parameterized correctly: The two words used as permutation keys are each at least 20 characters long, the plaintext is unknown and the wordlengths are co-prime.
See the challenges "DCT Reloaded":
https://www.mysterytwisterc3.org/en/challenges/level-iii/double-column-transposition-reloaded-part-1

## Introduction (2/2)

Among others, the spy Guenter Guillaume used the double-column transposition for his communication with the Ministry of State Security of the former GDR until about 1960. More precisely, he used an even stronger two-stage method known as GRANIT E160: In the first step the plaintext is converted into a numerical sequence with the help of a codebook and a matrix (a variant of the Polybius square), and in the second step the actual double-column transposition is run.

This challenge series is about that GRANIT method.

## Challenge Description (1/2)

Part 1 of this GRANIT series is a ciphertext-only challenge. Your task is to recover the plaintext from the following ciphertext:

6955469554048818879079599
7590165181557900948047890
57849904190099740082

Due to historical usage, we refer to this ciphertext message as a telegram.

Before performing the double-column transposition at least one word has been substituted with a 3-digit number (using the codebook on page 6).

## Challenge Description (2/2)

To obtain the correct plaintext, you will need to undo the double-column transposition and the substitutions (with the help of the matrix and the codebook). Moreover, possible padding at the end of the text should be removed.

As solution, submit the meeting place from your putative plaintext in capital letters. Make sure to enter the complete term.

Hint: All challenges of this series use the very same keyword W for the generation of the key matrix (used in the substitution step): MEINHAUS. The empty fields of the first row are also identical.

## Codebook

### 3.7. Das dazugehörige Codebuch TITAN-Z

| 000 abgesandt | 253 Deckadresse | 505 laufend | 758 Stimmung |
| :---: | :---: | :---: | :---: |
| 019 Adresse | 262 Dokument | 514 Legende | 767 TBK |
| 028 Anderung | 271 dringend | 523 lesbar | 776 Termin |
| 037 Anleg-en/ung | 280 Einsatz, einsetzen | 532 Ma Mnahme | 785 Treff |
| 046 Antwort-en | 299 Einschătz-en/ung | 541 Material | 794 Treff wie vereinbart |
| 055 Anweis-en/ung | 307 einverstanden (mit) | 550 Mikrat | 802 Treffart |
| 064 Arbeit-en | 316 Empfang-en | 569 Militarr-isch | 811 Treftermin |
| 073 Arbeitsstelle | 325 Entleer-en/ung | 578 mitbringen | 820 über |
| 082 Aufenthalt | 334 entleert | 587 Mitteil-en/ung | 839 Übergabe, übergeber |
| 091 Aufgabe, aufgeben | 343 Ergebnis | 596 Nachricht | 848 Überprüf-en/ung |
| 109 Auflclär-en/ung | 352 Erhalt-en/ung | 604 nächst | 857 unbedingt |
| 118 Aufnahme, aufgeben | 361 Ermittel-n/ung | 613 negativ | 866 Unterstütz-en/ung |
| 127 Auftrag | 370 Erwart-n/ung | 622 normal | 875 Verbind-en/ung |
| 136 ausfuhrlich | 389 Feststell-en/ung | 631 notwendig | 884 Vereinbar-en/ung |
| 145 Bahnhof | 398 Frequenz | 640 Objekt | 893 Vernicht-en/ung |
| 154 Beginn-en | 406 Funk | 659 operativ | 901 voraussichtlich |
| 163 Beleg-en/ung | 415 Geheimschreibmittel | 668 Päckchen | 910 Vorbereit-en/ung |
| 172 belegt | 424 Grenzübergang | 677 Politik, politisch | 929 vorlăufig |
| 181 benötigen | 433 Information, informieren | 686 Post | 938 Vorschlag-en |
| 190 Beobacht-en/ung | 442 Instrukteur | 695 Post noch nicht erhalten | 947 Westberlin |
| 208 Bericht-en | 451 Interesse, interessieren | 703 Reaktion (auf) | 956 Westdeutschland |
| 217 Berlin | 460 Karte | 712 Send-en/ung | 965 Wiederholung-en/ung |
| 226 Bestätig-en/ung | 479 Kontakt | 721 Sicherheit | 974 Writschatt-lich |
| 235 Brief | 488 Kontroll-en/ieren | 730 sofort | 983 Zeichen |
| 244 Chiffre | 497 Kurier | 749 Spruch | 992 Zentrale |

## Example (1/17) - Overview of the 4 parts

1. Preparation for encryption

- Generate the key matrix for the substitution (step 1) using the secret keyword W
- Select a random place (a kind of sessionkey) in the secret book
- Generate two permutation keys for the DTP (step 2) using the found word sequence in the book

2. Perform the encryption

- Step 1: Substitution: Apply the key matrix to the given plaintext $M_{0}$ and generate $\mathrm{M}_{1}$
- Step 2: Transposition: Apply the permutation keys $R_{1}$ and $R_{2}$ to $M_{1}$ and generate $\mathrm{M}_{2}$
- Step 3: Prepare the telegram to be transferred
- Create the key-id from the chosen place in the book
- Create the key-group from the key-id and the secret number Z
- Generate the telegram by merging the doubled key-group with the ciphertext $M_{2}$


## Example (2/17) - Overview

3. Preparation for decryption

- Generate the key matrix using W (same as in the preparation for encryption)
- Reconstruct the key-id using $Z$ in order to get the place in the book
- Generate the two permutation keys (grids) from the word sequences found at the place in the book (same as in the preparation for encryption)

4. Perform the decryption

- Step 1: Revert the $2^{\text {nd }}$ transposition, then revert the $1^{\text {st }}$ transposition
- Step 2: Revert the substitution and get the plaintext


## Example (3/17) - Preparation: Generation of the Key Matrix for Step 1

Agreement of the initial parameters (initial keys)

First, sender and recipient agree on the secret parameters: a keyword W (for the substitution step), a book (for the permutation step), and a 5-digit key number Z (encrypting the place in the book which is used find the permutation grids). In our example: the book 'Mockingjay' from S. Collins (there are different editions, but all necessary information is given here), the word $\mathrm{W}=$ "Katniss", and the number $\mathrm{Z}=67914$.

## Example (4/17) - Preparation: Generation of the Key Matrix for Step 1

Generation of the key matrix using W

Enter all different characters of W into a $3 * 10$ matrix and then all remaining characters of the alphabet (without "J"). In the first row two fields are left empty: Their column numbers serve as labels for the two other rows. The matrix contains 28 different characters. You need the matrix to substitute the characters with digits.

|  | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | K | A | T | N | I | S | B | C |  |  |
| 8 | D | E | F | G | H | L | M | O | P | Q |
| 9 | R | U | V | W | X | Y | Z | zs | . | , |

## Example (5/17) - Preparation: Generation of the Permutation Keys (Grids) for Step 2

## Usage of the book

To generate the grids $R_{1}$ and $R_{2}$ we choose 10 words from an arbitrary page and row of the book, here page 133, row 04: "the paint that cannot cover the bags under his eyes". The first five words "the paint that cannot cover" form $R_{1}$, the second five form $R_{2}$ :
$R_{1}$ : (Length of the $1^{\text {st }}$ word sequence $=$ number of columns $=23$ )

| t | h | e | p | a | i | n | t | t | h | a | t | c | a | n | n | o | t | c | o | v | e | r |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 18 | 8 | 6 | 16 | 1 | 10 | 11 | 19 | 29 | 9 | 2 | 21 | 4 | 3 | 12 | 13 | 14 | 22 | 5 | 15 | 23 | 7 | 17 |

$R_{2}$ : (Length of the $2^{\text {nd }}$ word sequence $=$ number of columns $\left.=19\right)$

| t | h | e | b | a | g | s | u | n | d | e | r | h | i | s | e | y | e | s |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 17 | 9 | 4 | 2 | 1 | 8 | 14 | 18 | 12 | 3 | 5 | 13 | 10 | 11 | 15 | 6 | 19 | 7 | 16 |

The numbers in the respective second row correspond to the numbering of the characters in the order of their occurrence in the alphabet, starting with 1.

## Example (6/17) - Properties of the Permutation Keys (Grids)

For the grids $R_{1}$ and $R_{2}$ in GRANIT the following must hold:

- Number of columns $\geqslant 15$
- Number of columns in $R_{1} \neq$ number of columns in $R_{2}$ In case of equal number of columns the first character of the sequence in $R_{2}$ will be added at the end of $R_{2}$.

Remark: Since the two word sequences normally are different, the length normally will also be different. Here, $R_{1}$ has a length of 23 and $R_{2}$ a length of 19 , so both conditions hold.

In step $2, R_{1}$ and $R_{2}$ are used as permutation keys: $R_{1}$ for the first transposition, $R_{2}$ for the second one.

## Example (7/17) - Step 1 (Substitution): Generating the Modified Plaintext $M_{1}$

After creating the keys during the "preparation", now they are applied for encryption.

The given example plaintext $M_{0}$ is: "Projekt Edelweiß gefährdet? Neuer Termin am 15. Juni 18 Uhr, Treffpunkt bleibt."
a) Editing the plaintext $M_{0}$ with the help of the codebook: Using the codebook we substitute some words of the plaintext with 3-digit numbers. This way, we get $M_{1 a}=$ "Projekt Edelweiß gefährdet? Neuer 776 am 15. Juni 18 Uhr, 785 punkt bleibt."

## Example (8/17) - Step 1 (Substitution): Generating the Modified Plaintext $M_{1}$

b) Restricting the plaintext to the 28 characters of the matrix: In $M_{1 a}$, we substitute every 'J' with 'Il', every German umlaut with its 2 letters, every ' $\beta$ ' with 'ss', and '?' with '..'.
All punctuation marks which are not necessary for the understanding of the text are left out.
Then we write the symbol 'zs' in front of and after every number in $M_{1 a}$ that is made of digits.
$M_{1 \mathrm{~b}}=$ "proiiekt edelweiss gefaehrdet.. neuer zs 776 zs am zs 15 zs iiuni zs 18 zs uhr, zs 785 zs punkt bleibt."
c) Every digit of numbers NOT originating from the codebook is tripled:
$M_{1 \mathrm{c}}=$ "proiiekt edelweiss gefaehrdet.. neuer zs 776 zs am zs 111555 zs ïuni zs 111888 zs uhr, zs 785 zs punkt bleibt."

## Example (9/17) - Step 1 (Substitution): Generating the Modified Plaintext $M_{1}$

d) With the key matrix we substitute the characters in $M_{1 c}$ (e.g. the symbol 'zs' becomes 97):
$M_{1 d}=" 88908744810281808185938145583818218184$ 90808129898381918190 zs 776 zs 186 zs 111555 zs 44 9134 zs 111888 zs 91849099 zs 785 zs 8891302685814 62 98".
With this we get the modified plaintext $M_{1}$ as input for the double-column transposition in step 2 (spaces are ignored): $M_{1}=" 8890874481028180818593814558381821818490808129898$ 38191819097776971869711155597449134971118889791849099 977859788913026858146298"

## Example (10/17) - Step 2: Performing the $1^{\text {st }}$ Transposition

Inserting the modified plaintext $M_{1}$ into the grid $\mathrm{R}_{1}$
We enter the modified plaintext $M_{1}$ (numerical sequence) line by line and from the left to the right into $R_{1}$ :

| 18 | 8 | 6 | 16 | 1 | 10 | 11 | 19 | 20 | 9 | 2 | 21 | 4 | 3 | 12 | 13 | 14 | 22 | 5 | 15 |
| :---: | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 23 | 7 | 17 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 8 | 8 | 9 | 0 | 8 | 7 | 4 | 4 | 8 | 1 | 0 | 2 | 8 | 1 | 8 | 0 | 8 | 1 | 8 | 5 |
| 9 | 3 | 8 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 1 | 4 | 5 | 5 | 8 | 3 | 8 | 1 | 8 | 2 | 1 | 8 | 1 | 8 | 4 | 9 | 0 | 8 | 0 | 8 |
| 1 | 2 | 9 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 8 | 9 | 8 | 3 | 8 | 1 | 9 | 1 | 8 | 1 | 9 | 0 | 9 | 7 | 7 | 7 | 6 | 9 | 7 | 1 |
| 8 | 6 | 9 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 7 | 1 | 1 | 1 | 5 | 5 | 5 | 9 | 7 | 4 | 4 | 9 | 1 | 3 | 4 | 9 | 7 | 1 | 1 | 1 |
| 8 | 8 | 8 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 9 | 7 | 9 | 1 | 8 | 4 | 9 | 0 | 9 | 9 | 9 | 7 | 7 | 8 | 5 | 9 | 7 | 8 | 8 | 9 |
| 2 | 3 | 0 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 2 | 6 | 8 | 5 | 8 | 1 | 4 | 6 | 2 | 9 | 8 | 9 | 4 | 9 | 5 |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

Applying the 5-package rule for $\mathrm{R}_{1}$
The number of digits in $R_{1}$ has to be divisible by 5 . Also $R_{2}$ must not have a full last line, that means the number of digits in $R_{1}$ must not be divisible by the number of columns of $R_{2}$ (19 in our example). Additionally, for better security the remainder shouldn't be too small. Hence, padding characters (arbitrary filling characters) are added at the end, in our case: $\mathrm{XY}=9495$. So we raise the number of characters from 126 to 130 .

## Example (11/17) - Step 2: Performing the $2^{\text {nd }}$ Transposition

Reading the characters of $R_{1}$ column by column (with increasing column number) we get the input for the $2^{\text {nd }}$ transposition:
$M_{2}=$ "88858801..."
Entering the result $M_{2}$ of the $1^{\text {st }}$ transposition into the grid $R_{2}$ :

| 17 | 9 | 4 | 2 | 1 | 8 | 14 | 18 | 12 | 3 | 5 | 13 | 10 | 11 | 15 | 6 | 19 | 7 | 16 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 8 | 8 | 8 | 5 | 8 | 8 | 0 | 1 | 9 | 4 | 9 | 8 | 1 | 8 | 7 | 3 | 8 | 9 | 8 |
| 1 | 9 | 1 | 7 | 4 | 8 | 0 | 7 | 1 | 8 | 9 | 5 | 8 | 1 | 9 | 8 | 3 | 2 | 6 |
| 8 | 3 | 8 | 4 | 9 | 1 | 7 | 6 | 1 | 2 | 1 | 4 | 9 | 9 | 7 | 3 | 1 | 5 | 4 |
| 1 | 4 | 8 | 9 | 5 | 9 | 4 | 8 | 4 | 7 | 4 | 5 | 5 | 0 | 9 | 7 | 9 | 9 | 8 |
| 0 | 6 | 7 | 7 | 5 | 8 | 1 | 1 | 9 | 0 | 5 | 3 | 1 | 1 | 5 | 8 | 9 | 9 | 8 |
| 0 | 8 | 1 | 8 | 7 | 9 | 2 | 4 | 1 | 1 | 9 | 0 | 6 | 8 | 8 | 8 | 7 | 9 | 2 |
| 2 | 8 | 0 | 9 | 7 | 9 | 1 | 8 | 9 | 1 | 8 | 9 | 1 | 8 | 8 | 1 |  |  |  |

Then we read the characters column by column in the order of the numbering again and divide them into groups of 5 .

## Example (12/17) - Step 3: Transmitting Page Number, Row and Ciphertext

At last, we form the key-group (here 13304) out of the arbitrary chosen position in the book, that means out of the 3 digits long number of the page (133) and the 2 digits long one of the row (04), and sum the single digits modulo 10 with Z: 13304

$$
\begin{array}{r}
+\quad 67914 \\
\hline 70218
\end{array}
$$

Adding this key-id (German: Kenngruppe) in front of the ciphertext twice, we get the telegram:

```
7021870218 8495577574 97894 82701 18188
71099 14598 3837881925 99988 19899 89346
8818951618 19018 89114 91985 45309 00741
2179795888 6488281810 02176 81488 31997
```

The recipient needs this key-id to find the 10 words from the book by which he can generate the same permutation keys the sender used.

## Example (13/17) - Decrypting Preparation: Reconstructing the Key-group

First, we generate the key matrix using W - exactly as for the encryption.
Then we reconstruct the key-group out of the key-id in order to get the used page and row of the book:
Subtract the single digits of $Z$ from those of the key-id modulo 10 :

$$
70218
$$

- 67914

$$
13304
$$

The key-id is the place in the book to find the word sequences for the two grids $R_{1}$ and $R_{2}$ : "the paint that cannot cover the bags under his eyes" With this we can - exactly as for the encryption - create the two grids (see page 11).

## Example (14/17) - Decrypting Preparation: Reconstructing the Grids

a) Initially, delete the two key-ids from the telegram.
b) Draw the schemes of the grids as follows:

Divide the number of digits of the telegram by the number of columns of the grid - the quotient stands for the number of full rows in the grid, and the remainder quantifies the number of filled fields in the last row which is not completely filled:

- $130 / 23$ = 5 remainder 15

So, $R_{1}$ has 5 full rows, and 15 filled fields in the $6^{\text {th }}$ row.

- $130 / 19=6$ remainder 16

So, $R_{2}$ has 6 full rows, and 16 filled fields in the $7^{\text {th }}$ row.

## Example (15/17) - Decrypting Step 1: Reverting the $2^{\text {nd }}$ Transposition

Enter the digits of the telegram (84955 $77574 \ldots$ ) into $R_{2}$ column by column and top down according to the numbering of the columns. In doing so, the columns 1-16 each get 7 digits, and the columns 17-19 each get 6 digits - as we computed on the previous page:

| 17 | 9 | 4 | 2 | 1 | 8 | 14 | 18 | 12 | 3 | 5 | 13 | 10 | 11 | 15 | 6 | 19 | 7 | 16 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 8 | 8 | 8 | 5 | 8 | 8 | 0 | 1 | 9 | 4 | 9 | 8 | 1 | 8 | 7 | 3 | 8 | 9 | 8 |
| 1 | 9 | 1 | 7 | 4 | 8 | 0 | 7 | 1 | 8 | 9 | 5 | 8 | 1 | 9 | 8 | 3 | 2 | 6 |
| 8 | 3 | 8 | 4 | 9 | 1 | 7 | 6 | 1 | 2 | 1 | 4 | 9 | 9 | 7 | 3 | 1 | 5 | 4 |
| 1 | 4 | 8 | 9 | 5 | 9 | 4 | 8 | 4 | 7 | 4 | 5 | 5 | 0 | 9 | 7 | 9 | 9 | 8 |
| 0 | 6 | 7 | 7 | 5 | 8 | 1 | 1 | 9 | 0 | 5 | 3 | 1 | 1 | 5 | 8 | 9 | 9 | 8 |
| 0 | 8 | 1 | 8 | 7 | 9 | 2 | 4 | 1 | 1 | 9 | 0 | 6 | 8 | 8 | 8 | 7 | 9 | 2 |
| 2 | 8 | 0 | 9 | 7 | 9 | 1 | 8 | 9 | 1 | 8 | 9 | 1 | 8 | 8 | 1 |  |  |  |

## Example (16/17) - Decrypting Step 1: Reverting the $1^{\text {st }}$ Transposition

Now we read the digits from $R_{2}$ row by row and from left to right (88858...), and enter them into $R_{1}$ column by column and top down according to the numbering of the columns. In doing so, the columns 1 10 each get 6 digits, and the columns 11 - 23 each get 5 digits - as we computed on page 20:

| 18 | 8 | 6 | 16 | 1 | 10 | 11 | 19 | 20 | 9 | 2 | 21 | 4 | 3 | 12 | 13 | 14 | 22 | 5 | 15 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 23 | 7 | 17 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 8 | 8 | 9 | 0 | 8 | 7 | 4 | 4 | 8 | 1 | 0 | 2 | 8 | 1 | 8 | 0 | 8 | 1 | 8 | 5 |
| 9 | 3 | 8 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 1 | 4 | 5 | 5 | 8 | 3 | 8 | 1 | 8 | 2 | 1 | 8 | 1 | 8 | 4 | 9 | 0 | 8 | 0 | 8 |
| 1 | 2 | 9 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 8 | 9 | 8 | 3 | 8 | 1 | 9 | 1 | 8 | 1 | 9 | 0 | 9 | 7 | 7 | 7 | 6 | 9 | 7 | 1 |
| 8 | 6 | 9 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 7 | 1 | 1 | 1 | 5 | 5 | 5 | 9 | 7 | 4 | 4 | 9 | 1 | 3 | 4 | 9 | 7 | 1 | 1 | 1 |
| 8 | 8 | 8 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 9 | 7 | 9 | 1 | 8 | 4 | 9 | 0 | 9 | 9 | 9 | 7 | 7 | 8 | 5 | 9 | 7 | 8 | 8 | 9 |
| 2 | 3 | 0 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 2 | 6 | 8 | 5 | 8 | 1 | 4 | 6 | 2 | 9 | 8 | 9 | 4 | 9 | 5 |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

Again we read the digits row by row and get the text $M_{1}{ }^{\prime}$ :
$M_{1}{ }^{\prime}=" 8890874481028180818593814558381821818490808129898$ 38191819097776971869711155597449134971118889791849099 9778597889130268581462989495"

## Example (17/17) - Decrypting Step 2: Substitution and Getting the Plaintext

Substituting the digits using the key matrix $(88=\mathrm{p}, 90=\mathrm{r}, 87=0,4=$ i etc.) we get:
"proiiektedelweissgefaehrdet..
neuerzs776zsamzs15zsiiunizs18zsuhr,zs785zspunktbleibt.xy"
Out of this intermediate plaintext we determine the actual plaintext using the codebook (and delete the obvious padding 'xy' at the end):
"Projekt Edelweiß gefährdet?
Neuer Termin am 15. Juni 18 Uhr, Treffpunkt bleibt."
In this example the solution to be entered would be date and time:
"15JUNI18UHR"

## Links

- Website with nearly all codes and encryption mechanisms used in the former GDR - (only German): http://scz.bplaced.net/m.html\#dwa
- An interesting thread about double-column transposition (only German): http://www.buha.info/showthread.php?10834-Verfahren-desDoppelw\�rfel/page2

